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## Sec 7.1:

After this section you will have completed the following Common Core State Standard(s):

- G.MG.3: Apply geometric methods to solve problems

And will be improving your skills in the following Mathematical Practice(s):
7. Look for and make use of structure
8. Look for and express regularity in repeated reasoning Specifically, you should be able to:

- Write ratios
- Write and solve proportions

Ratio (including extended ratio):

Proportion:
Cross Multiplication: If ..... then
Reciprocal: ..... If

thenIf
If
Exchange:
Add-One: then
then

## Examples:

## Sec 7.2:

After this section you will have completed the following Common Core State Standard(s):

- G.SRT.2: Given 2 figures- use the definition of similarity in terms of similarity transformations to determine if they are similar, explain using similarity transformations the meaning of similarity for triangles as the equality of all corresponding pairs of angles and the proportionality of all corresponding pairs of sides
And will be improving your skills in the following Mathematical Practice(s):

7. Look for and make use of structure
8. Construct viable arguments and critique the reasoning of others

Specifically, you should be able to:

- Use proportions to identify similar polygons
- Solve problems using the properties of similar polygons
figures have the same shape, but different $\qquad$ .

Polygon Similarity Postulate:
Two polygons are similar if and only if all of their corresponding angles are , and all of their corresponding sides are $\qquad$ .

## Similarity Statement



Congruent Angles


Proportionality Statement of Corresponding Sides


The ratio of corresponding sides of two similar polygons is called the
$\qquad$ Or $\qquad$ .

The ratio of the perimeters of two similar polygons is $\qquad$

## Examples:

Similarity Statement:

Proportionality Statement:


Solve for $x$ and $y$.


## Sec 7.3:

After this section you will have completed the following Common Core State Standard(s):

- G.SRT.4: Prove theorems about triangles
- G.SRT.5: Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures
And will be improving your skills in the following Mathematical Practice(s):

4. Model with mathematics
5. Look for and make use of structure

Specifically, you should be able to:

- Identify similar triangles using AA similarity postulate and the SSS and SAS similarity theorems
- Use similar triangles to solve problems

AA (angle-angle) similarity postulate:
If two angles of one $\Delta$ are $\qquad$ to two angles of another $\Delta$, then the $\Delta$ 's are
$\qquad$ .

$$
\rightarrow
$$



SSS (side-side-side) similarity theorem:
If the 3 sides of one $\Delta$ are all $\qquad$ to the 3 sides of another $\Delta$, then the $\Delta$ 's are
$\qquad$ .

$\rightarrow$

SAS (side-angle-side) similarity theorem:
If two sides of a $\Delta$ are $\qquad$ to those of another $\Delta$ and their included angles are , then the $\Delta$ 's are


## Examples:

Given: $\overline{B E} \| \overline{C D}$
Prove: $\frac{B C}{A B}=\frac{E D}{A E}$


## Sec 7.4:

After this section you will have completed the following Common Core State Standard(s):

- G.SRT.4: Prove theorems about triangles
- G.SRT.5: Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures
And will be improving your skills in the following Mathematical Practice(s):

1. Make sense of problems and persevere in solving them
2. Construct viable arguments and critique the reasoning of others

Specifically, you should be able to:

- Use proportional parts with parallel lines and within triangles

Triangle Proportionality Theorem: If a line is $\qquad$ to one side of a triangle, then it divides the other two sides $\qquad$ .

Converse of the Triangle Proportionality Theorem: If a line intersects the sides of triangle and separates the sides into $\qquad$ , then it is $\qquad$ _.

## Midsegment of a triangle:

Triangle Midsegment Theorem: The midsegment of a triangle is $\qquad$ to the third side of the triangle and its length is $\qquad$ .

Proportional Parts of Parallel Lines: If three or more $\qquad$ lines intersect two
transversals, then they divide the transversals

Corollary: If the segments on one transversal are all $\qquad$ , then the segments on the other transversal must also be $\qquad$ .

## Examples:

## Sec 7.5:

After this section you will have completed the following Common Core State Standard(s):

- G.SRT.4: Prove theorems about triangles
- G.SRT.5: Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures
And will be improving your skills in the following Mathematical Practice(s):

1. Make sense of problems and persevere in solving them
2. Construct viable arguments and critique the reasoning of others

Specifically, you should be able to:

- Recognize and use proportional relationships of corresponding angle bisectors, altitudes, and medians of similar triangles
- Use the triangle bisector theorem

If two $\Delta^{\prime} s$ are similar, then the ratio of any of their $\qquad$ segments, (altitudes, medians, angle bisectors, etc.) is the as the ratio of their $\qquad$ sides.

The angle bisector of a triangle divides the
$\qquad$ side of a triangle into two segments that are $\qquad$

## Examples:

Given: $\triangle A B C \sim \triangle D E F$, $\overline{B G}$ and $\overline{E H}$ are altitudes
Prove: $\frac{B G}{E H}=\frac{A B}{D E}$

Make accurate drawing here:

Solve for x .


## Sec 7.6:

After this section you will have completed the following Common Core State Standards):

- G.SRT.2: Given 2 figures- use the definition of similarity in terms of similarity transformations to determine if they are similar, explain using similarity transformations the meaning of similarity for triangles as the equality of all corresponding pairs of angles and the proportionality of all corresponding pairs of sides
- G.SRT.5: Use congruence and similarity criteria for triangles to solve problems and to prove relationships in geometric figures
And will be improving your skills in the following Mathematical Practices):

6. Attend to precision
7. Model with mathematics

Specifically, you should be able to:

- Identify similarity transformations
- Verify similarity after a similarity transformation

A $\qquad$ is a non-rigid or $\qquad$ transformation.
It preserves $\qquad$ , but not $\qquad$ .
-
c


If $|k|<1$, then the dilation is a $\qquad$ .

If $|k|>1$, then the dilation is an $\qquad$ .

The rule for dilations on the coordinate plane with $(0,0)$ as the center of dilation is $(x, y) \rightarrow(\quad)$ where $k$ is the of the
dilation.


Examples:

